

The impact of linear space charge on the tomographic reconstruction at PITZ.

- Photo Injector Test facility at DESY, Zeuthen site (PITZ)
- Tomographic reconstruction of the transverse phase space at PITZ
- Motivation : refined calculation of rotations
- V-Code simulations
- Simulation results
- Reconstruction results
- Summary and outlook

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04.03.2013

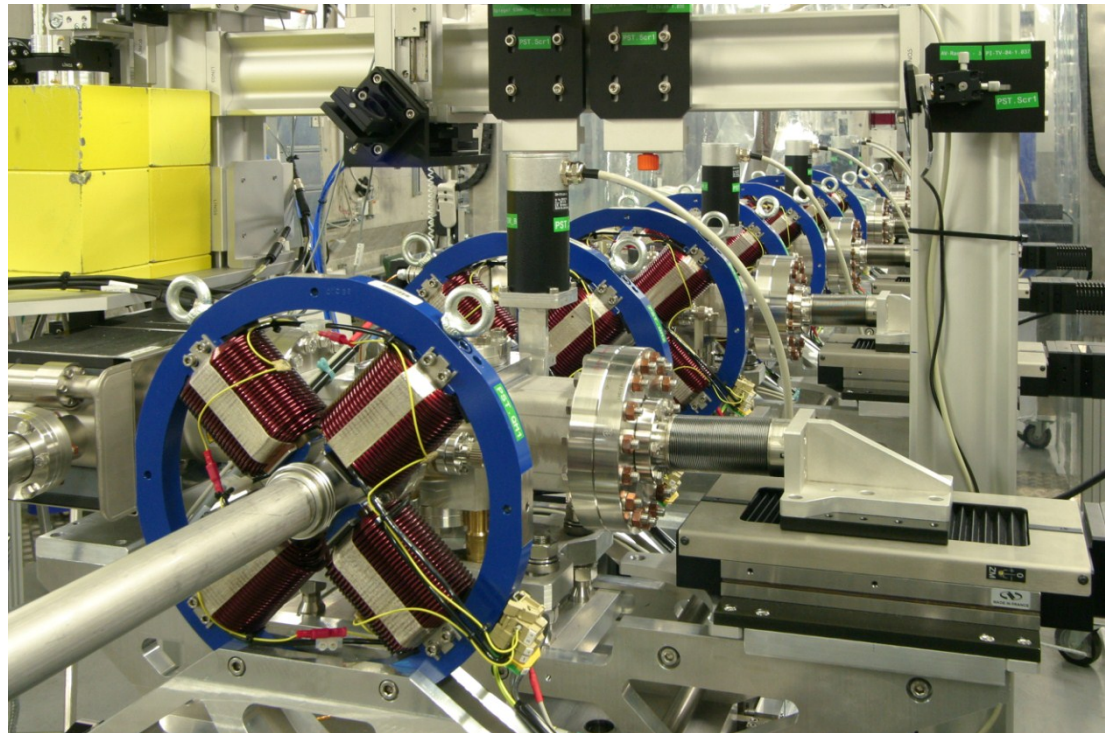
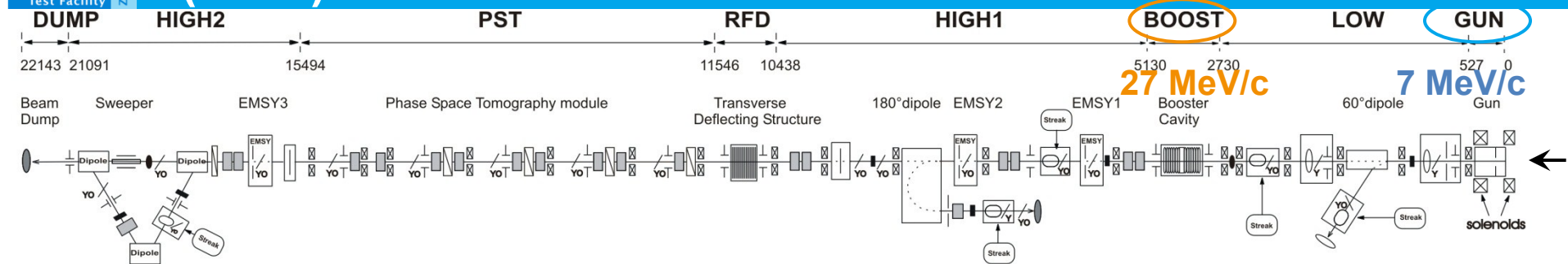


Photo Injector Test facility at DESY, Zeuthen site (PITZ)



> Booster

Cut Disk Structure (CDS)
14 cells
1.3 GHz frequency
14MV/m max accel. grad

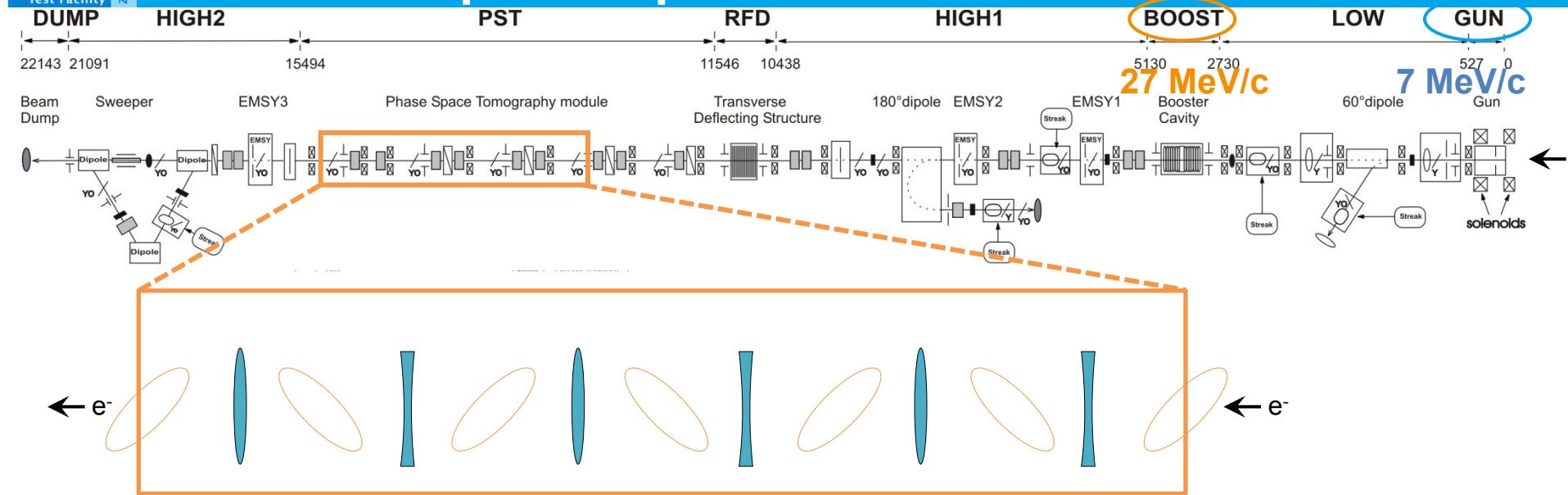
> e⁻ RF-gun

1.6 cell L-band
1.3 GHz frequency
10MW klystron
60MV/m max accel. grad
Cs₂Te cathode
Main+bucking solenoids

> Laser system

Yb:YAG oscillator
800 micro-pulses
1MHz frequency
10 Hz repetition rate
< 4 nC bunch charge
tunable temporal profile:
flat-top 2/24\2 ps
short Gaussian 2.8 ps

Tomographic reconstruction of the transverse phase space at PITZ



- 1) **Quadrupoles** form a FODO lattice and oppose a complete 180° **rotation** in the transverse phase space

Tomographic reconstruction of the transverse phase space at PITZ

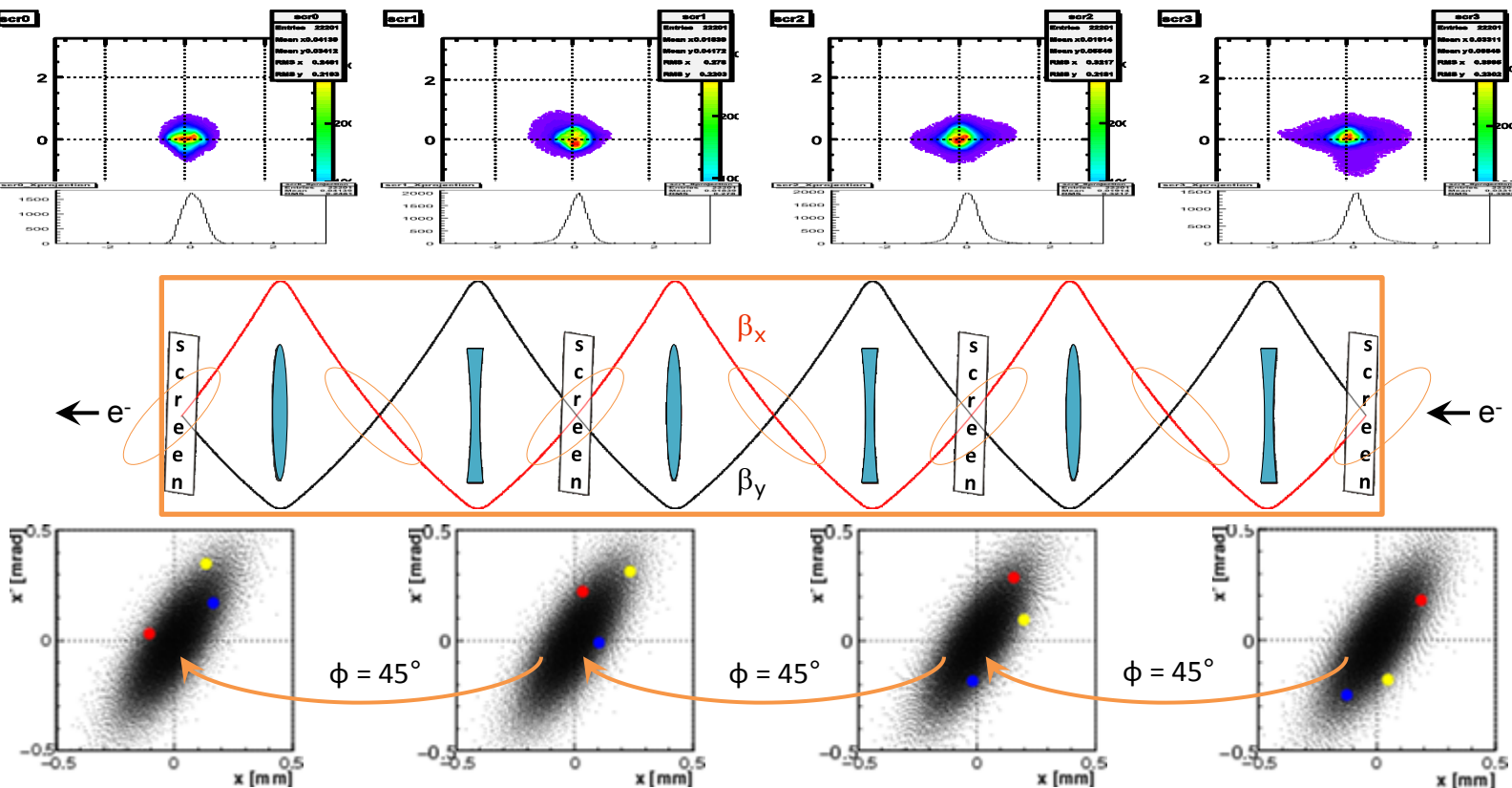
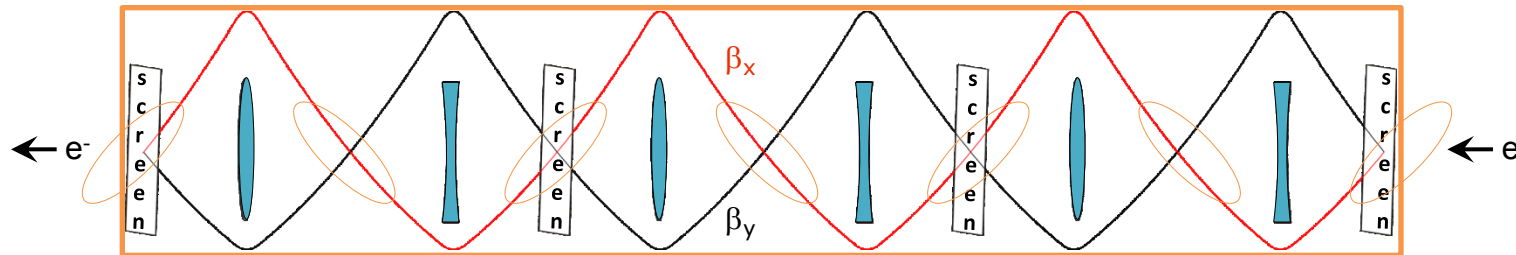
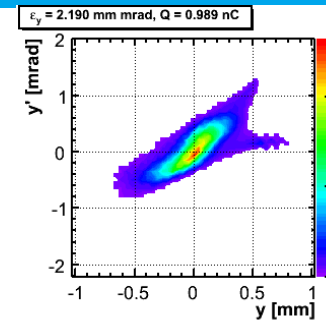
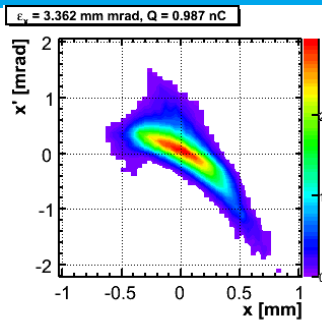


Image courtesy:
G. Asova

- 2) Screens capture **projections** of both transverse planes at **equidistant** phase advance values (= projection **angles**)

Tomographic reconstruction of the transverse phase space at PITZ



- 1) **Quadrupoles** form a FODO lattice and oppose a complete 180° **rotation** in the transverse phase space
- 2) Screens capture **projections** of both transverse planes at **equidistant** phase advance values (= projection **angles**)
- 3) **Reconstruction** using the Maximum ENTropy algorithm (**MENT**) with the corresponding **transfer matrices** ($\rightarrow$ description of rotations)

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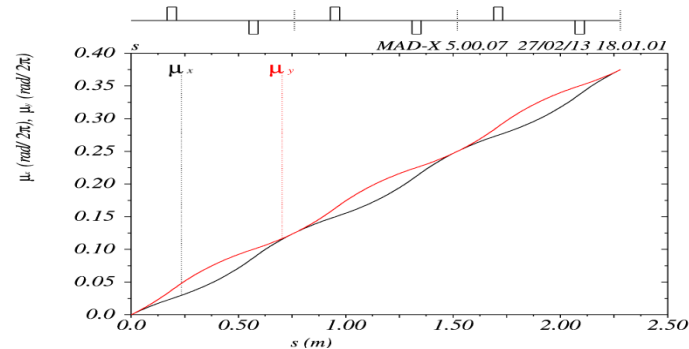
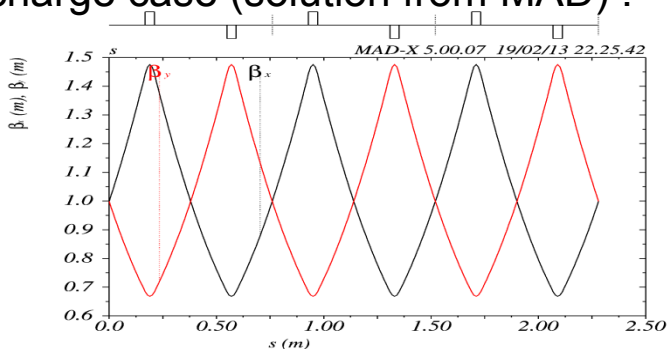
- > Use **V-Code** for a more realistic beam transport in the FODO lattice → **refine** the calculation of the phase space **transformations**

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Output: σ matrix ($\sim$ Twiss parameters) along the beamline
Highlighted feature: consideration of linear space charge forces

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 Highlighted feature: consideration of **linear space charge** forces

➤ Simulations parameters:

- **No space charge** forces present (current treatment) vs. **linear** space charge forces
- Emittance values ($\sim$ charge density) of **3mm·mrad** (common during measurements) and **1mm·mrad** (target value) for 1nC bunch charge, 20ps pulse length, at 25MeV
- The beam moments at the entrance and the quadrupole strengths are perfectly matched so as to deliver 45° phase advance from screen to screen for the no space charge case (solution from MAD) :



Simulation results (estimator)

Phase advance mismatch [deg] along the FODO lattice
@ $\epsilon=3\text{mm}\cdot\text{mrad}$



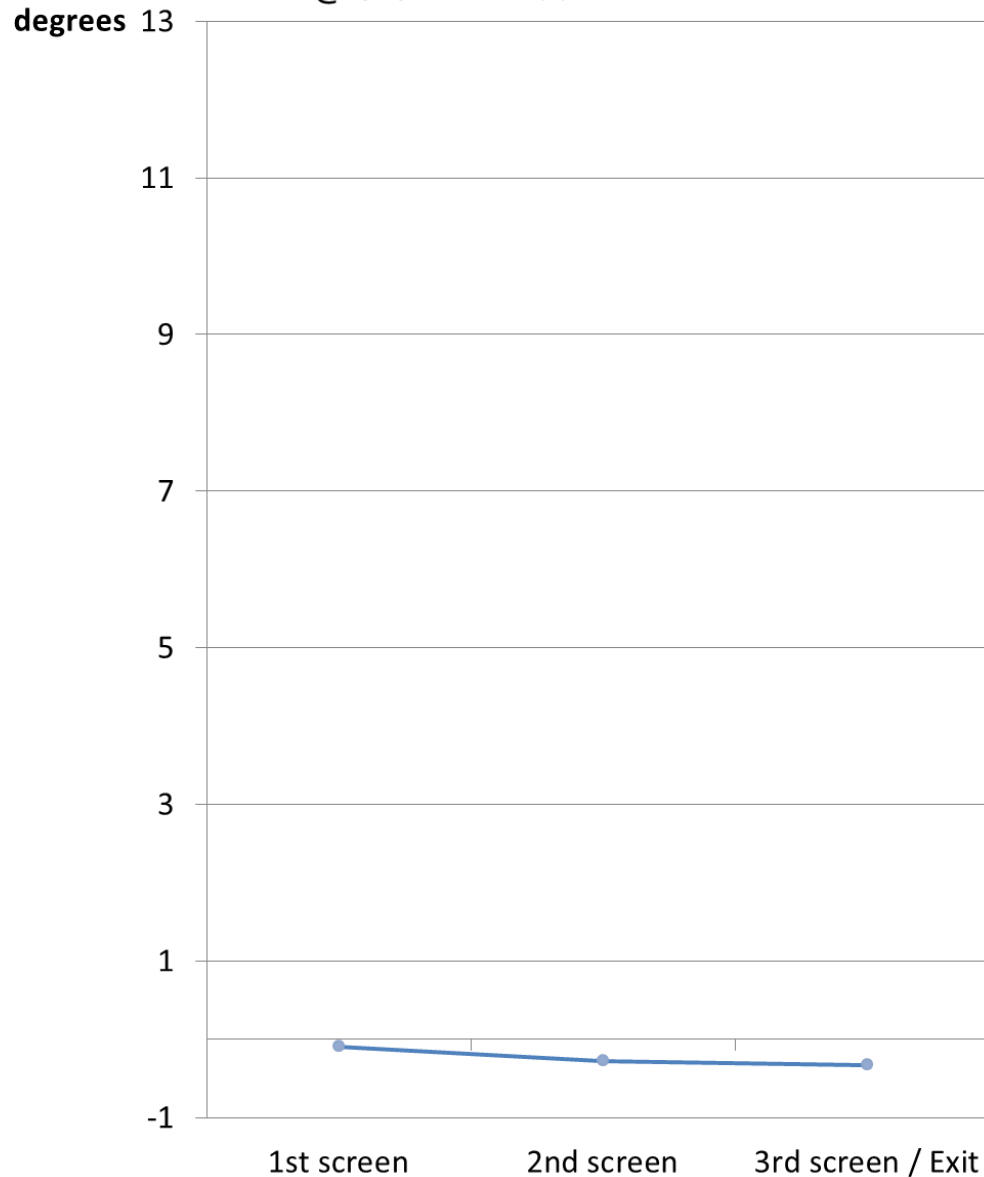
($n=1,2,3$)

$$n \cdot 45^\circ - \varphi_n$$

$$\varphi_n = \int_{z_0}^z \frac{dz}{\beta(z)}$$

Simulation results (25MeV / 1nC / 20ps – X plane)

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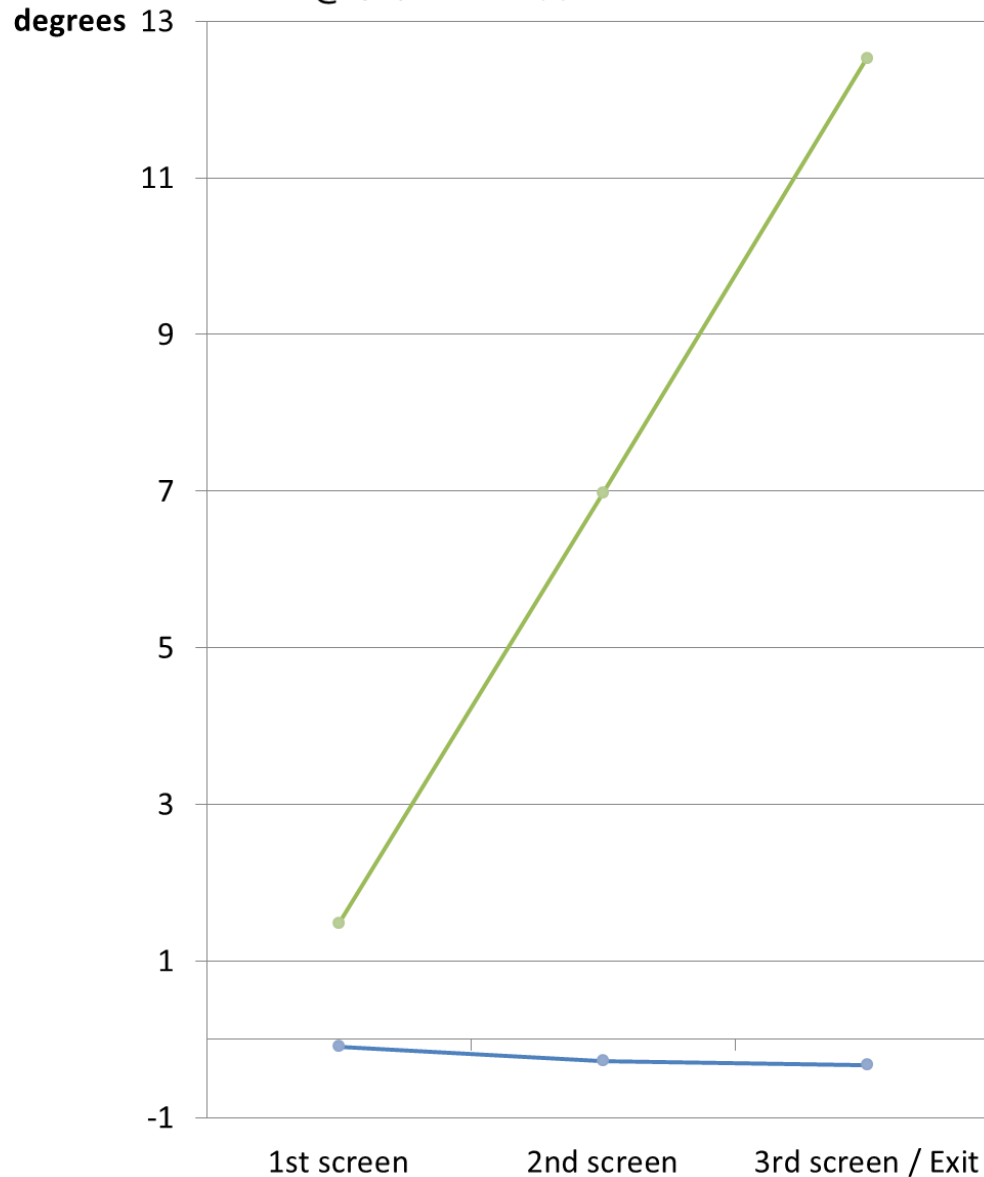
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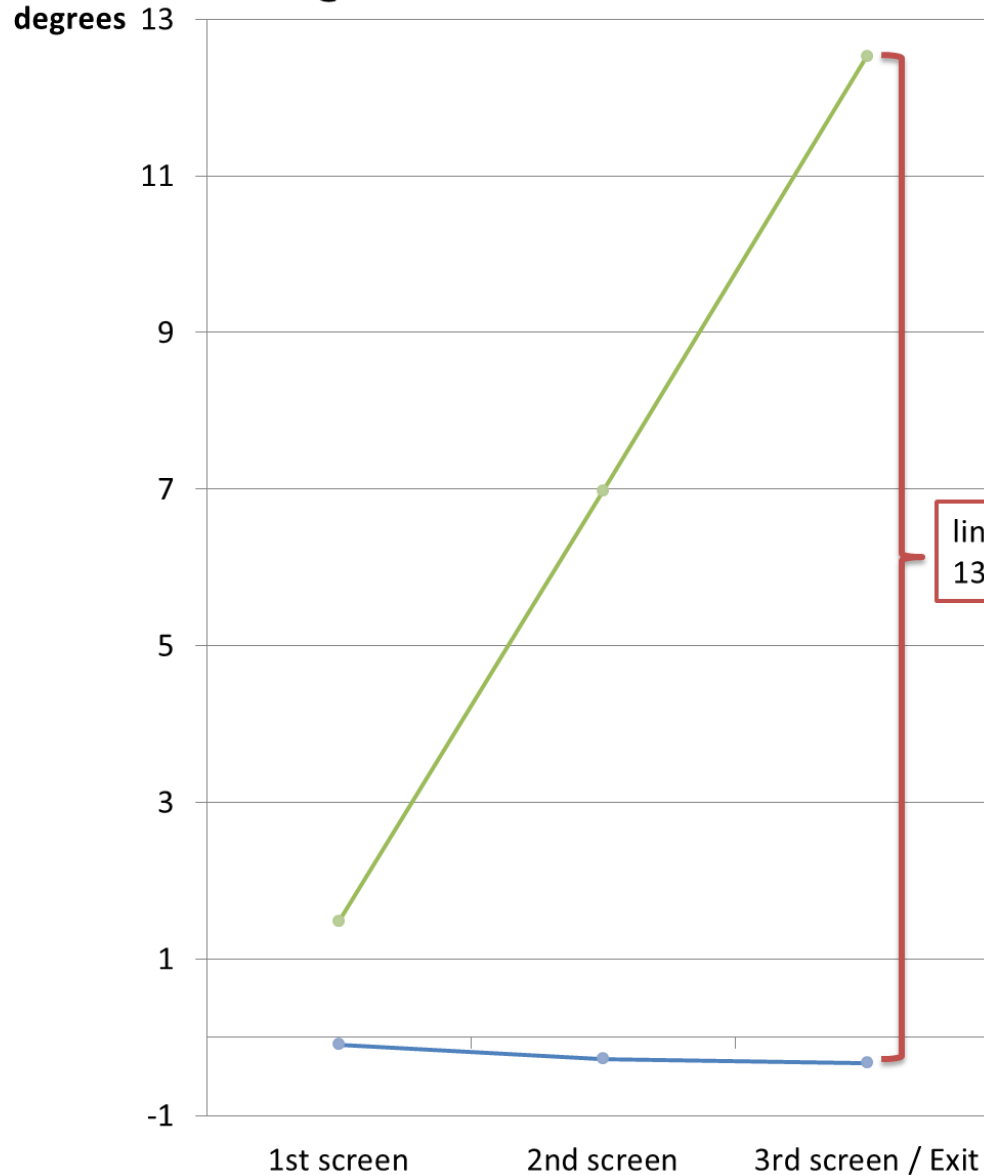
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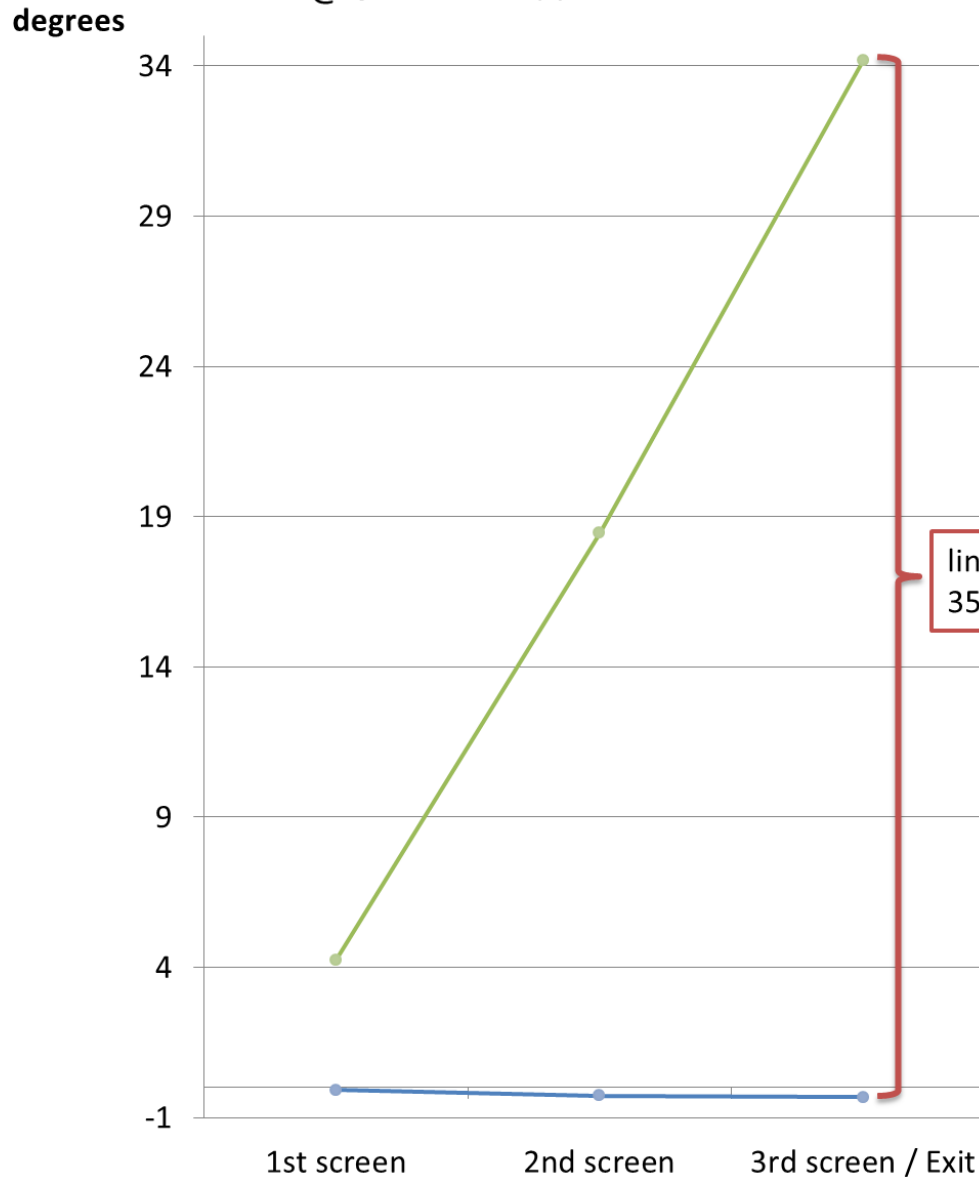
$$n \cdot 45^\circ - \varphi_n,$$

$$\varphi_n = \int_{z_0}^z \frac{dz}{\beta(z)}$$

linear space charge:
13° max difference

Simulation results (25MeV / 1nC / 20ps – X plane)

Phase advance mismatch [deg] along the FODO lattice
@ $\epsilon=1\text{mm}\cdot\text{mrad}$



($n=1,2,3$)

$$n \cdot 45^\circ - \varphi_n$$

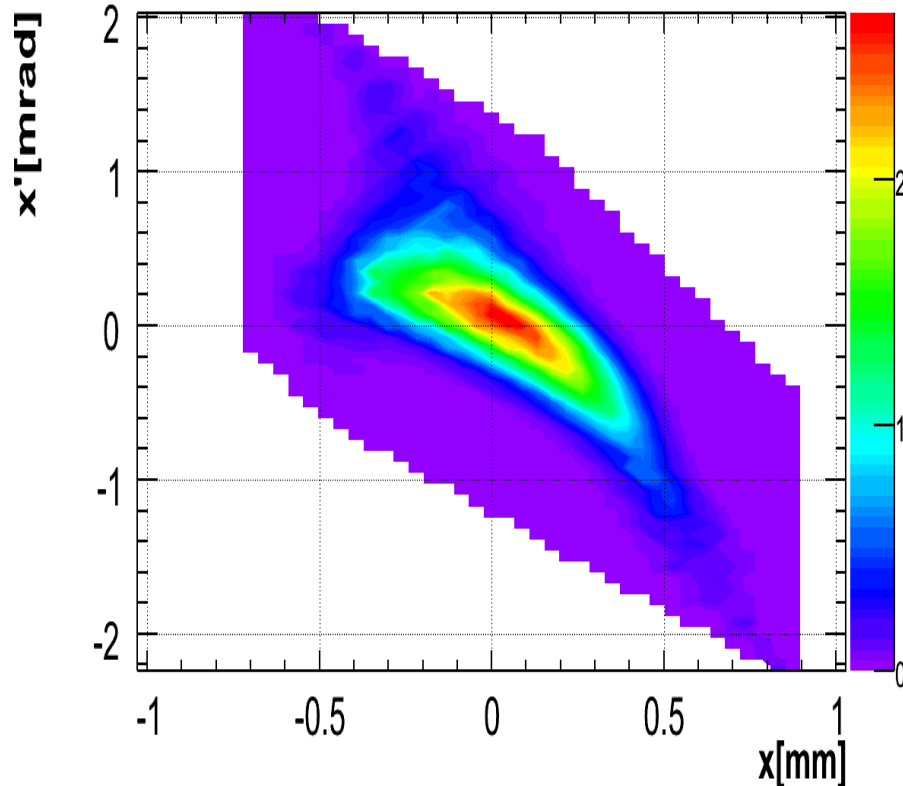
$$\varphi_n = \int_{z_0}^z \frac{dz}{\beta(z)}$$

linear space charge:
35° max difference

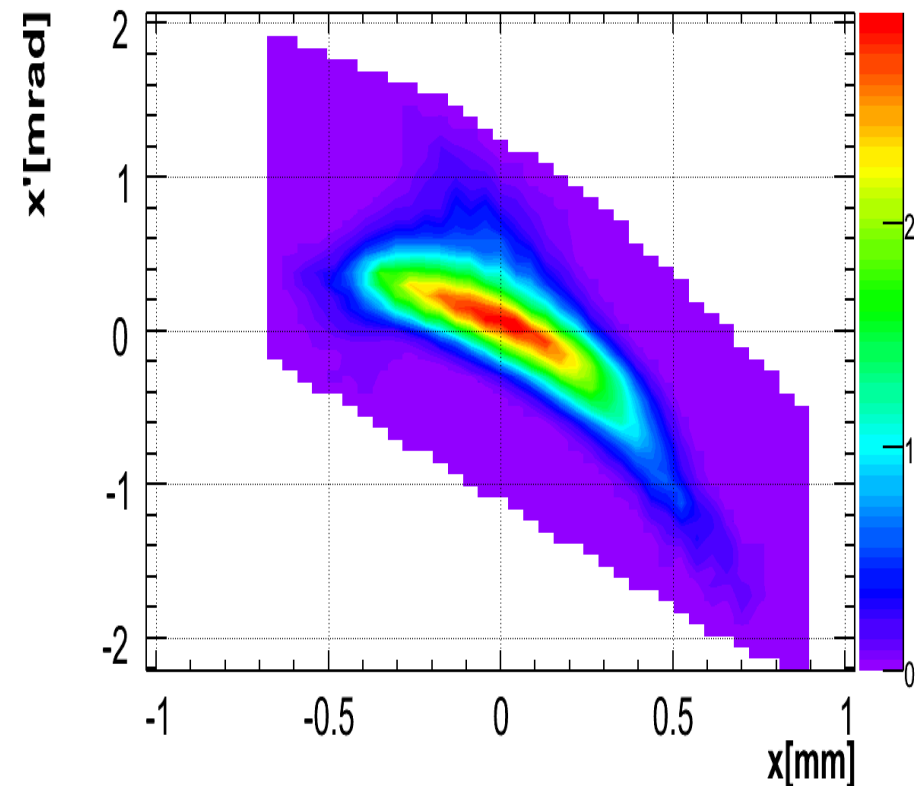
Reconstruction result

Reconstruction of experimental data using the two different approaches:

$\varepsilon_x = 4.008 \text{ mm mrad}$ ➤ No space charge



$\varepsilon_x = 3.546 \text{ mm mrad}$ ➤ Linear space charge



Reduction in the resulted emittance = 11.5%

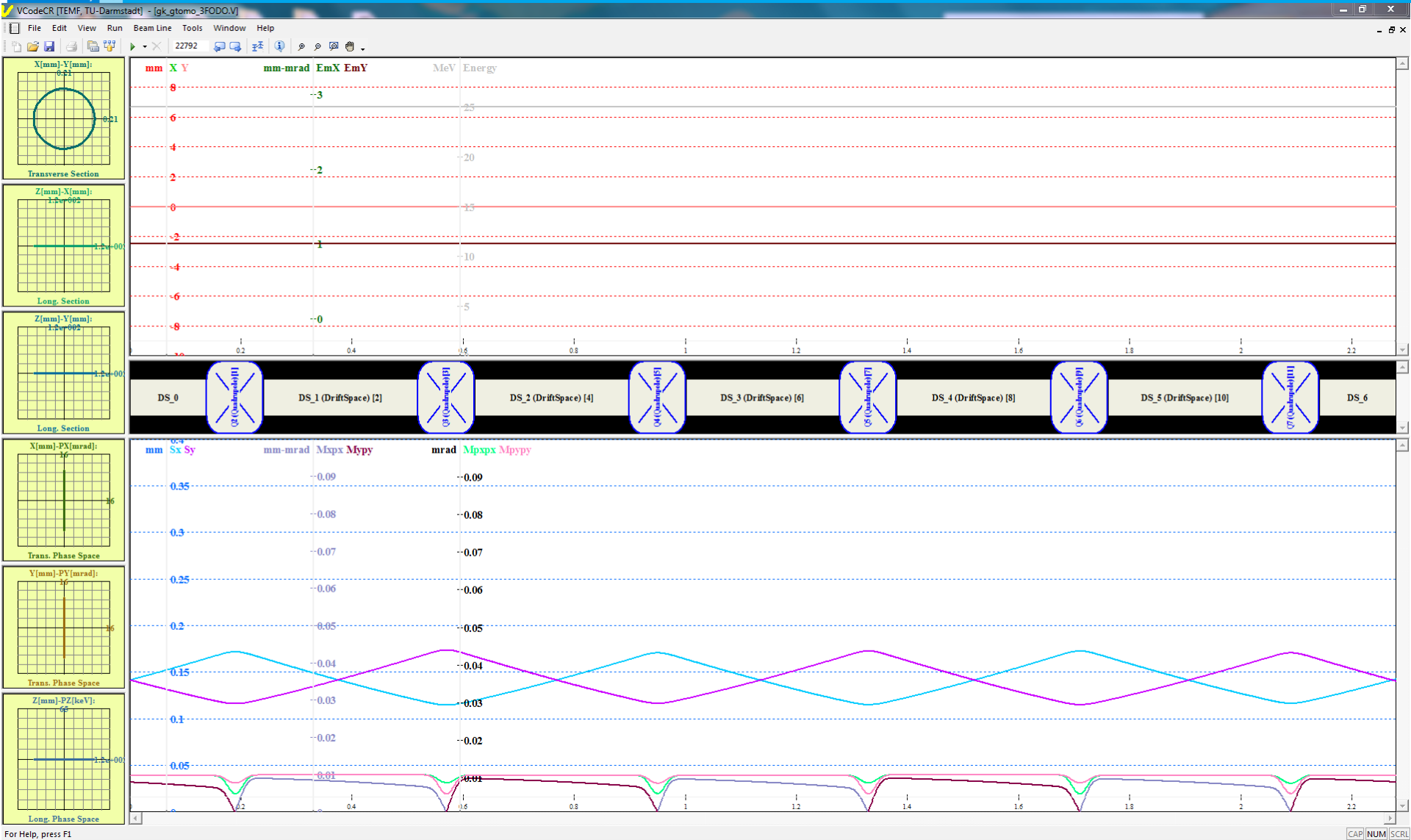
- The linear space charge induces considerable additive mismatches along the FODO lattice
- The tomographic reconstruction of the transverse phase space seems to improve when the linear space charge forces are taken into account
- The **non-linear** space-charge effect is still excluded, but is expected to have a stronger impact → repeat the simulations using ASTRA for closest-to-reality beam behavior

Thanks to Dmitriy Malyutin, Barbara Marchetti and Grygorii Vashchenko.

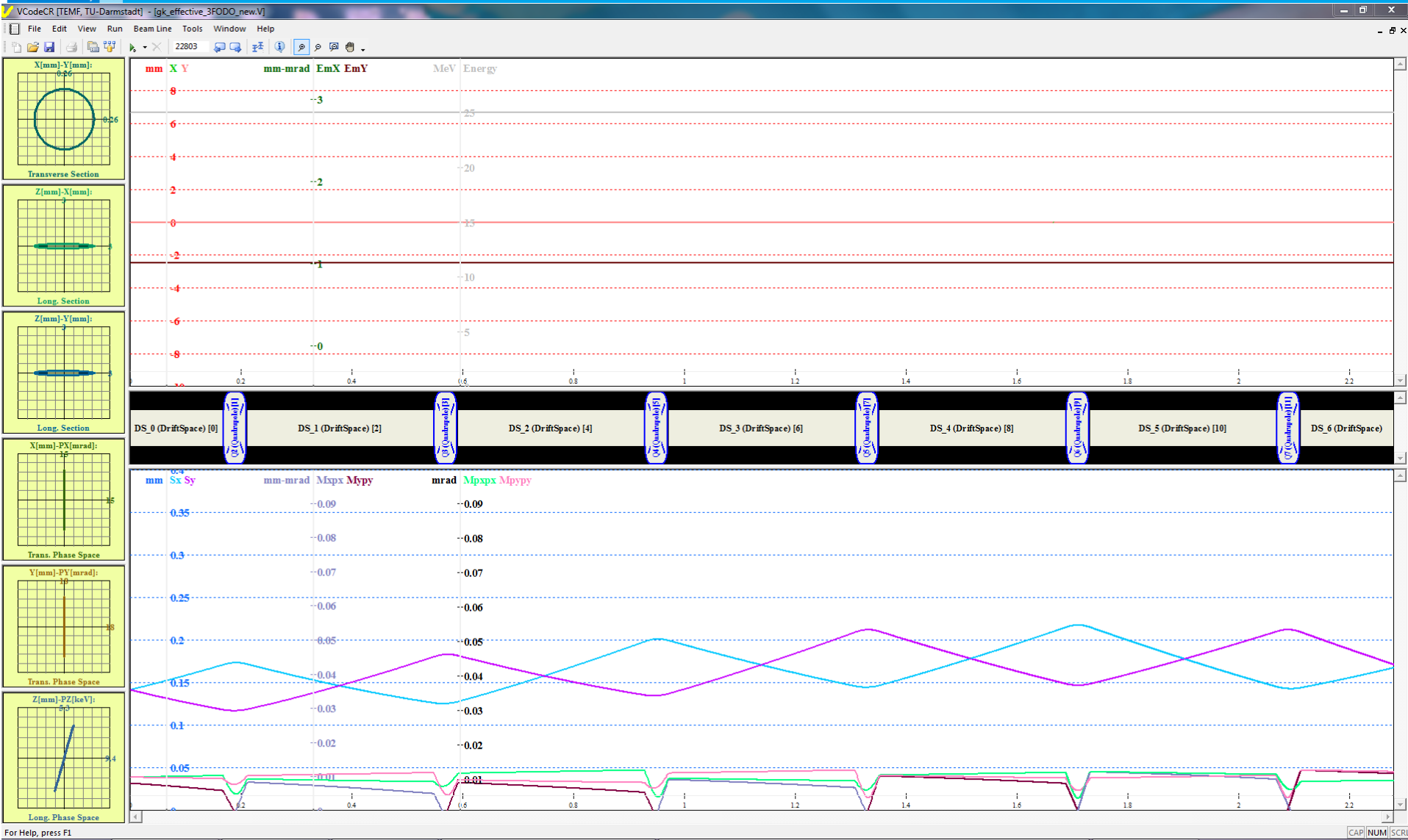
THE END.

Backup Slides

V-Code screenshot – no space charge

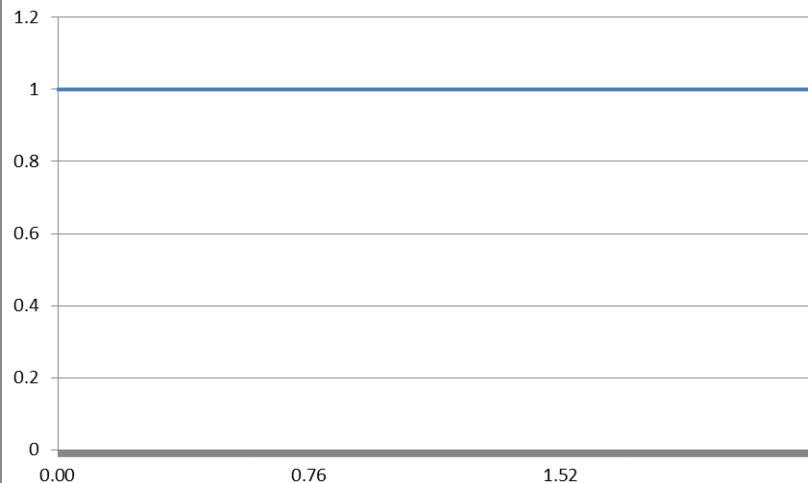


V-Code screenshot – linear space charge

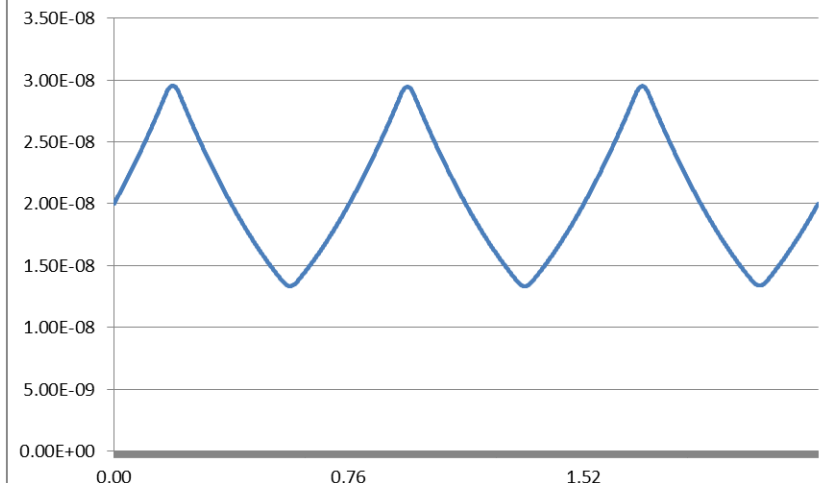


Data analysis for Effective quads with no space charge @ 1mm*mrad (same as for 3mm*mrad)

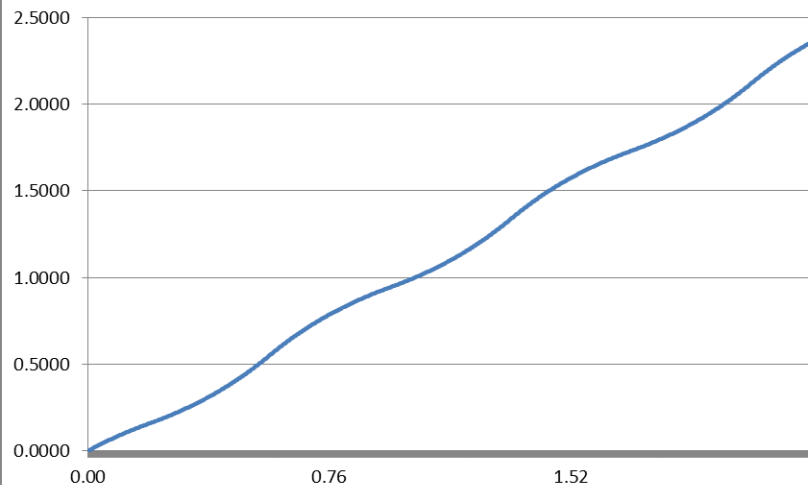
EmitX[um]



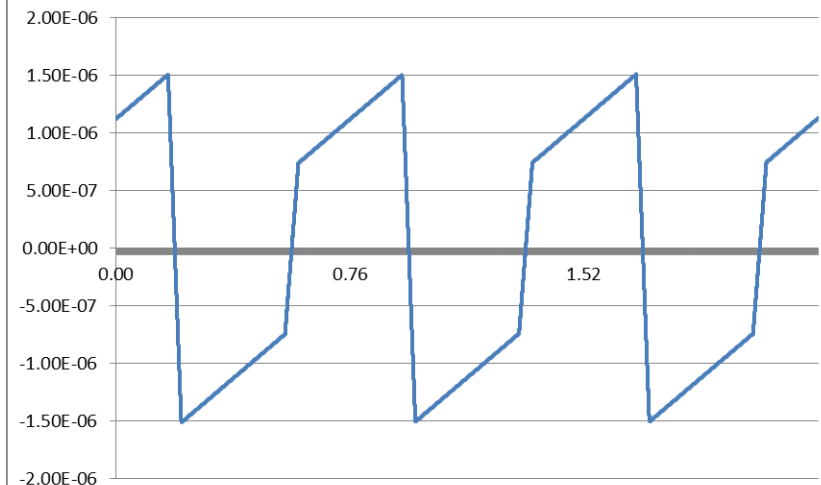
Mxx[m^2]



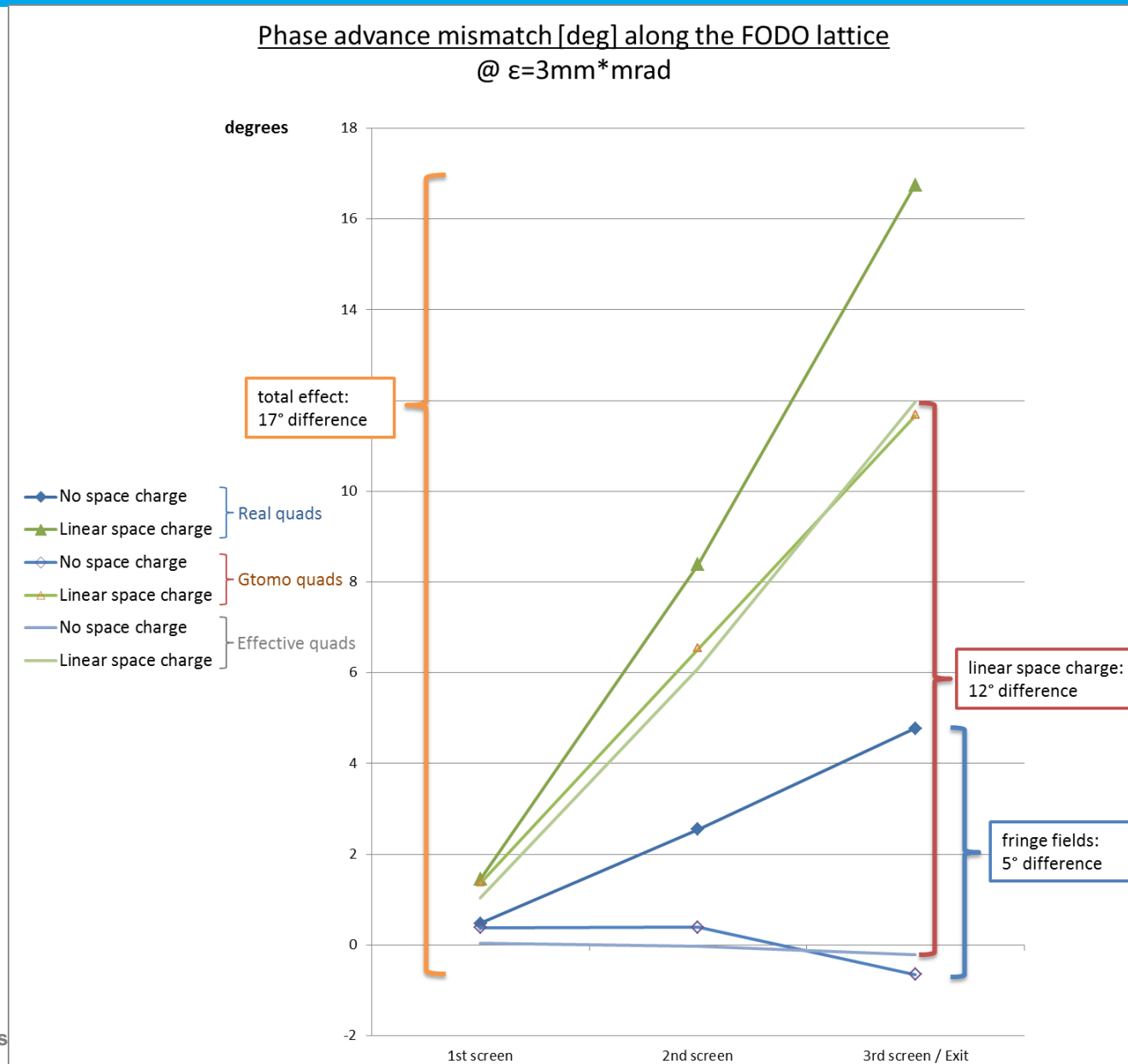
X-phase advance [rad]



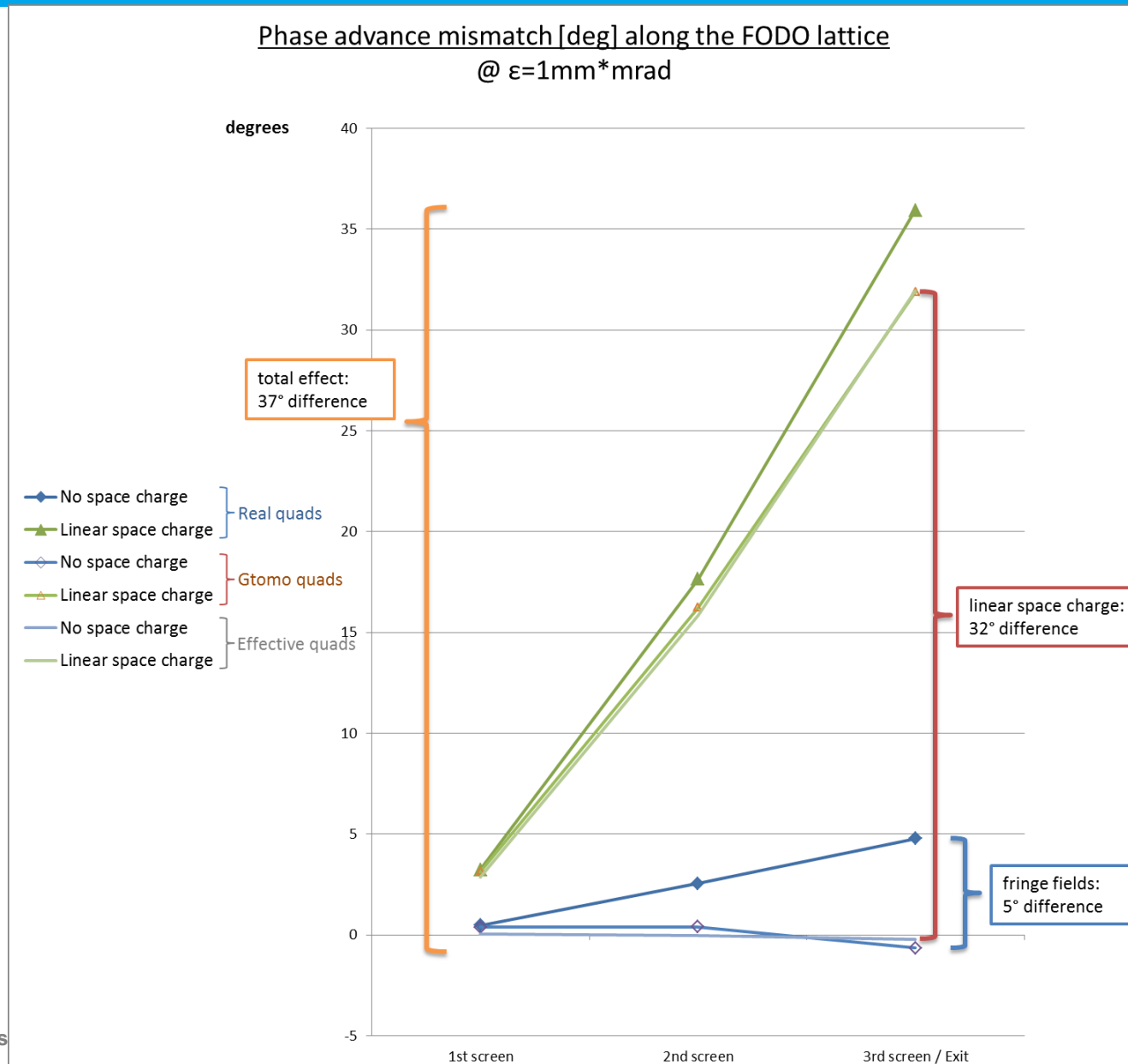
Mxpx[m]



Simulation results (25MeV / 1nC / 20ps – Y plane)



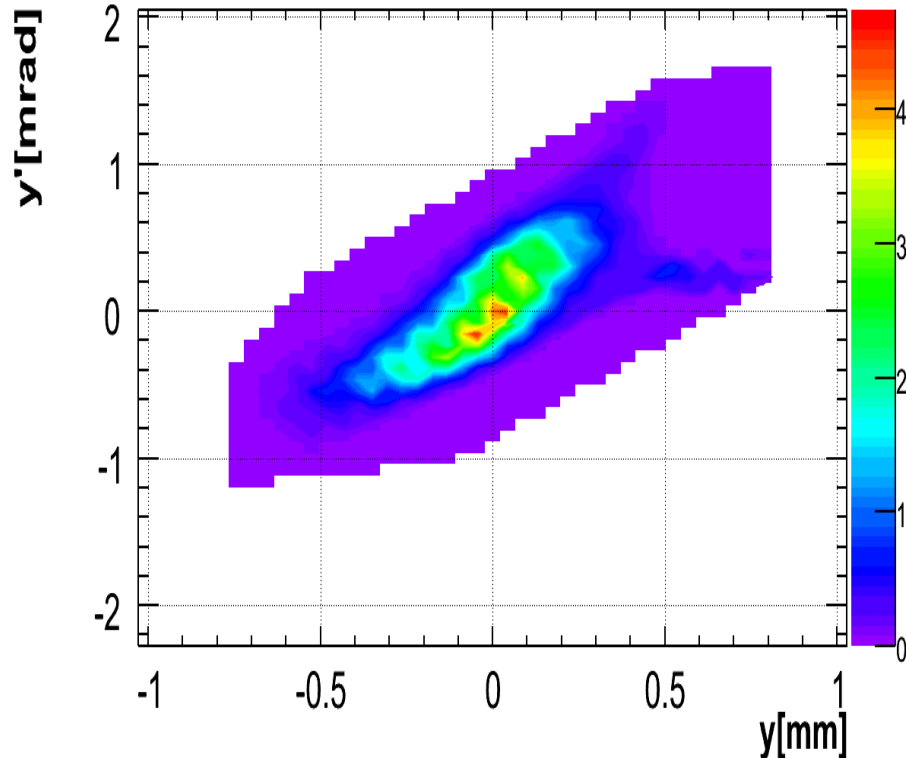
Simulation results (25MeV / 1nC / 20ps – Y plane)



Reconstruction result – Y plane

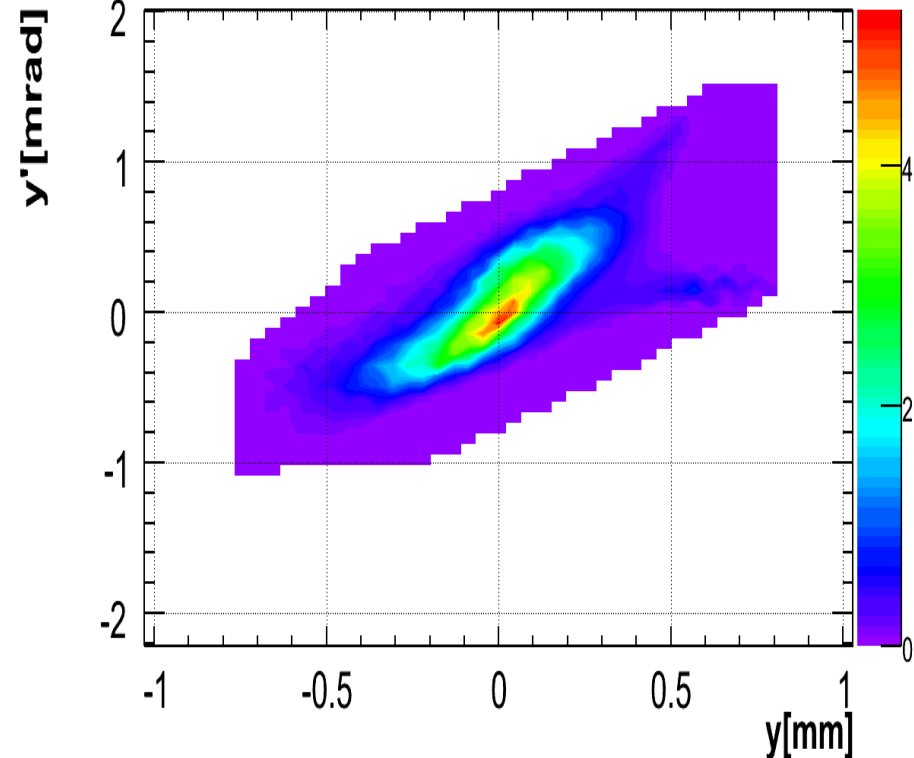
No space charge

$\varepsilon_y = 2.558 \text{ mm mrad}$



Linear space charge

$\varepsilon_y = 2.283 \text{ mm mrad}$



Reduction in the resulted emittance = 10.8%