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# Dependence of the Luminosity on Various Machine Parameters <br> and Their Optimization at PETRA 

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distortions, and the corrections cannot be maintained during the energy ramping. Satellite resonances are avoided as far as possible by staying with the synchrotron and betatron frequencies between the resonances. During the energy ramping this is done by an automatic control system which measures and corrects the frequencies.

A vertical instability 6 which can also limit the bunch current is avoided by bunch lengthening which is achieved by changing the damping partition via the accelerating frequency, i.e. the revolution frequency.

Below 11 GeV per beam the currents are limited by the beam-beam interaction so that, for instance, at 7 GeV the maximum currents are $4 \times 3 \mathrm{~mA}$. Above 18 GeV the currents are limited by the available rf power (in 1982). At 20 GeV the maximum currents were $4 \times \mathrm{l} \mathrm{mA}$.

Sometimes the currents are limited by a too large background for the experiments. It can even occur at currents well below the limit if the beams are somewhat blown up by the beam-beam interaction. The background conditions car: then very often be improved by orbit corrections in the experimental regions. A better shielding of the experiments also improved the situation.

If the number of bunches is increased from 4 to 8 the maximum total current remains roughly the same in the rf-limited and in the satellite-limited energy region. In the lower energy region where the currents are limited by the beam-beam interaction the blow-up is roughly the same for the same total current. This holds for the usual working points but can be somewhat better for other tunes. For constant bunch currents the blow-up increases strongly with the number of interaction points. Thus increasing the number of bunches does not increase the luminosity per experiment 7 .

## Mini beta insertion

The amplitude functions or betas in the interaction region are given by
(4) $\beta_{x}, z(s)=\beta_{x}^{*}, z+\frac{s^{2}}{\beta_{x}^{*}, z}$
where $s$ is the distance from the symmetry point. The betas must not become too large in the quadrupoles nearest to the interaction point where they produce a large chromaticity, i.e. strong energy dependence of the betatron frequencies which must be compensated by sextupoles.

Initially the four interaction regions in PETRA had a free space of $2 \times 7,5 \mathrm{~m}$ each. It was used by the detectors and, in three interaction regions, by compensating solenoids which compensated the solenoid fields of the detectors. After it was shoun that PCTRA could be operated without solenoid compensation the free space was reduced to $2 \times 4.5 \mathrm{~m}$. The three detectors with solenoids are now running without compensation. Their field polarity is chosen such that they partly compensate each other. The operation of the machine is not affected at higher energies, but at lower energies the performance is somewhat reduced due to the larger coupling of the hor izontal and vertical betatron oscillations.

The horizontal and the vertical beta at the interaction point were reduced from 250 to 120 cm and from 15 to 8 cm , respectively ${ }^{3}, 9,10$. The calculation qives an enlargement of the luminosity by a factor of 2 . The first measurements qave nearly a factor of 3 . the reason for the additional increase was a new alitn-
ment of all quadrupoles which was done together with the reduction of the free space. Thus machine imperfections were removed and the blow-up of the beams was reduced as will be discussed later. The additional increase was lost after several months when the quadrupoles were again somewhat displaced.

The mini beta is now limited by the chromaticity. A further reduction of the betas reduces the energy acceptance. This holds for a compensation of the chromaticity with two families as well as with four families of sextupoles, although the situation is somewhat better with four families.

A new scheme, the so called micro beta, is now under discussionll, where superconducting quadrupoles are incorporated in the detectnrs at a distance of only 0.9 m from the interaction point. A vertical beta of about 2 cm seems possible at 23 GeV with a reasonable energy acceptance.

## Variation of the emittance

The horizontal emittance is given by quantum fluctuation and damping. The emission of a photon changes the amplitude of the betatron oscillation proportionally to the dispersion at that position. Thus changing the dispersion in the bending magnets by changing the focusing in the ares yields a variation of the horizontal emittance. This must be done without changing the tune of the machine and without producing a dispersion in the straight sections which would excite satellite resonances and increase the blow-up. Under these conditions a variation of the horizontal emittance by a factor of 2 to 3 is obtained in PETRA.

lig. I: Normalized heam width $A x$ (measured with scraperss) and bunch lengih 1 imemsured with a fast


If the equilibrium oroit of the machine passes off-axis through a quadrupole in which the dispersion does not vanish, the radiation losses in the quadrupole are different for particles with positive or negative energy deviation. This adds some damping or antidamping to the synchrotron oscillation. If the equilibrium orbit is displaced in the same direction as the orbit of particles with positive energy deviation the synchrotron oscillation is damped since a positive energy deviation gives larger radiation losses. Therefore, a reduction of the accelerating frequency, i.e. a lengthening of the equilibrium orbit, increases the synchrotron damping, and an enlargement of the accelerating frequency decreases the synchrotron damping. Since the sum of the damping constants of the synchrotron and betatron oscillations cannot be changedl2 the betatron damping is changed with the opposite sign as the synchrotron damping.

Fig. I shows the beam width and the bunch length (or energy spread) which are proportional to one over the square root of the damping. The presentation in (b) shows the change of the damping. The distance of the synchrotron pole from the central frequency ( 499664 kHz ) is twice the distance of the betatron pole since the synchrotron damping is twice the betatron damping in a machine without synchrotron magnets. Maximum changes of beam width and bunch length by a factor of 2 to 3 are obtained. A change of the damping partition has the advantage that it can be done during a luminosity run so that the operating conditions can always be optimizedl3.

## Computer simulations of the beam-beam interaction

In simulating the beam-beam interaction on a digital computer, significant progress was made in 1980 $14,15,16,17$. Since that time, many simulations were done by several authors, and a better understanding of the mechanism of the blow-up was achieved. In the following the simulations for PETRA are briefly described.

The exact space charge forces of an opposing bunch with a Gaussian particle distribution were calculated for a two-dimensional grid of points and then interpolated quadratically for calculating the transverse kick of a particle at each, passage. The longitudinal motion of the interaction point seen by a particle due to its synchrotron oscillation is always taken into account. Between the interaction points the horizontal and vertical betatron oscillation and the synchrotron oscillation are transformed linearly. The radiation damping is included. The quantum fluctuation is simulated by applying random kicks on all three modes of oscillation. The motion of particles is observed over several damping times, i.e. over a large number of revolutions. Both cases, "weak-strong" and "strong-strong" were investigated.

As an example rig. 2 shouss the vertical motion of a single particle in a phase diagram. The horizontal axis gives the position and the vertical axis the angle of the vertical betatron oscillation at a symmetry point of the machine for each revolution. The vertical amplitude of the particle starting with zero amplitudes remains within one or two standard deviations of the Gaussian distribution of the opposing bunch during the first 8000 revolutions. Then its amplitude increases rapidly due to quantum fluctuation and the nonlinearity of the space charge forces, and it moves into a third order resonance where the phase advance is about $2 \pi / 3+2 \pi x$ integer (a). After about three quarters of a damping time it comes out of resonance and leaves the three fixed points, but is immediately captured by other three


Fig. 2: Phase diagram $z-z^{\prime}\left(C_{x}=25.2, Q_{z}=23.32\right.$, 1 damping time $=3000$ revolutions)
fixed points of the third order resonance (b) which are a mirror image and equivalent to the rirst three points (withoul optical asymmetries). After about 600 revolutions the particle leaves the third order resonance and its amplitude decreases.

A similar behaviour can be observed for several resonances. More often, however, coupling resonances between horizontal and vertical betatron oscillations appear. These resonances can be found by counting the betatron oscillations and by observing the variation of the amplitudes. In all cases the particles usually do not stay longer than a damping time on a resonance. Due to quantum fluctuation and damping they can leave the resonance and can then be captured by another resonance.

The computer simulations have shoun that small disturbances of the ideal machine increase the number and strength of the resonances which can be excited Those disturbances are small differences in betatron phase advance between the interaction points and spurious dispersions at the interaction points. Thus machine imperfections enlarge the blow-up of the beams and become more important with increasing number of interaction points.

The increase in beam height is qiven by the coot mean square of the vertical betatron coordinates of many partıcles over many revolutions:

$N$ includes all particles at all interaction points and all revolutions after 4 damping times.

The following PETRA priameters vere used in all simulations shown here:
synchrotron wave number
ratio of beam width to hesght at the interaction point
ratio of horizontal to veriscal amplitude function at the interaction point
space charge parameter
number of interaction points


Fig. 3: Increase of beam height as a function at the vertical and horizontal betatron frequency

Fig. 3 shows the influence of machine imperfections on the blow-up. To redure the computer time these simulations were done only for the case "weak-strong", however, simulations of the case "strong-strong" have shown 18 that the dependence on the working point is very similar in both cases. The assumed phase asymmetries can be produced by the usually observed orbit displacements in the sextupoles, and the magnitude of the spurious dispersions is scaled from measurements of the dispersions in the straight sections outside the mini beta insertion.

In Fig. 3 three working points are shown. "A" was the first working point for PETRA during the first two years. "B" and "C" were chosen because the computer simulations predicted a smaller blow-up. In " $[3$ " the machine was operated in 1981 at 7 and 11 Cev. The blow-up was indeed smaller than in "A". Tho working point "C" was used above 17 GeV where the bean height is very small since the blow-up goes down with increasing enerqy. The blow-up in "C" was also smaller than in "A", and the beam height was not so sensitive to vertical orbit distortion as in "B", since the distance from the integer is larger

a) without machine imperfections
b) with machine imperfections $\left(\delta Q_{x, z}= \pm .03, \pm .01\right.$, $\left.D_{x}^{*}= \pm 8.5, \pm 2.8 \mathrm{~cm}, D_{z}^{*}= \pm 1.3, \pm .4\right)$

## Luminosities in PETRA

Since March 1931, when the mini beta operation in PETRA was started, many data were taken at 17,11 and 7 GeV per beam. At the end of 1982 data were also taken between 19 and 20 GeV . Fig. 4 shows the maximum luminosities at these energies. At 19 GeV the maximum luminosity was sharply limited by the available rf power and by the smallest beam size. At 17 GeV the beams were blown up by 10 to $15 \%$ due to the beam-beam interaction, and the currents were close to the limit given by satellite resonances during energy ramping. At 11 GeV the luminosity was limited by the beam-beam interaction and the beams were blown up by $40 \%$. The currents were also limited by satellite resonances during ramping and the beam width was artificially increased up to an optimum. At 7 GeV the luminosity was sharply limited by the beam-beam interaction and the beam width was reduced during the run by changing the accelerating frequency so that the currents were always at the beam-beam limit. The emittances at the four energies do not scale with $E^{2}$ (the natural energy dependence) but with $E^{0.7}$ due to the artificial enlargement given by a change of the optics and the damping partition (s. Table 1).

| Energy/GeV | 7 | 11 | 17 | 19 |
| :---: | :---: | :---: | :---: | :---: |
| optics | MIBE | MI9E | MI9 | MG8 |
| hor. emittance $/ 10^{-7}$ radm | . 61 | . 92 | 2.0 | 2.1 |
| change of rf freq. $/ \mathrm{kHz}$ | -1.2 | -1 | 0 | 0 |
| hor. emittance at changed if frequency/ 10-7 radm | 1.13 | 1.5 | - | - |
| ratio of vert. and horiz. emittance at max. luminosity/\% | 38 | 14 | 1.3 | 0.7 |
| Qx | 25.20 | 25.19 | 25.19 | 25.10 |
| $Q_{z}$ | 23.13 | 23.12 | 23.29 | 23.35 |
| Qs | . 042 | . 054 | . 070 | . 07 |
| $\begin{aligned} & \max . \text { luminosity/ } \\ & 10^{30} \mathrm{~cm}-2 \mathrm{sec}-1 \end{aligned}$ | 1.9 | 8 | 17 | 4.7 |
| bunch current at maximum luminosity/mA | 3 | 3.7 | 5.2 | 2.4 |
| maximum $\xi \times$ | . 036 | . 034 | . 016 | . 007 |
| maximum $\bar{\xi} z$ | . 014 | . 024 | . 040 | . 019 |
| maximum number of inverse nanobarn per day and per experiment | 120 | 360 | 870 | 140 |

lable 1

To suppress machine imperfections as far as possible the orbit must be corrected very carefully. Large luminosities vere obtained only with rms-values of the orbit deviations of .5 to 1 mm . Spurious dispersions at the interaction points were compensated with special orbit bumps. Differences in the vertical amplitude functions at the eight quadrupoles nearest to the four interaction points were found in the order of $20 \%$. Compensating the differences with additional single power suppliesl9 on the eight quadrupoles increased the average luminosity by about $15 \%$. furthermore, the blow-up assumes a minimum if the currents of the colliding bunches are equal, i.e. the differences in bunch currents should not exceed a few percent $20,21$.


Fig. 4: Luminosity as a function of bunch current. For 19 and 7 GeV the values are averaged over 30 minutes, for 17 and 11 GeV over 15 minutes.

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